

## **A Semantically Extended Views Integration Method and Its Application to Pavement Views Integration**

**Rajesh Narang and K. D. Sharma**

*Department of Computer Science, University of Delhi  
Delhi – 110007, India*

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**Abstract.** Due to increasing interest in distributed databases, the importance of schema integration techniques is significantly increasing. It has been realized database design is such a complex task that it can't be performed in a centralized way, therefore, a more reasonable approach is to first allow the different departments of an organization to build their own schema/view of the database and then integrate them to represent the global schema of the complete knowledge. Keeping this view in mind, an integration strategy based on the concept of structural comparison and semantic comparison of schema is proposed.

The structural comparison finds out similar or near similar types to mainly ascertain subset relationship. It does not analyze the entities very deeply, therefore, it can't detect other relationships hidden in the structural specification of the types. Hence to circumvent these problems, semantic comparison of the types is also considered. The semantic comparison helps to detect other kinds of hidden relationships such as role relationship, identical relationship and compatible relationship between diverse schema components. After this process, all semantic related components are implicitly merged to get a universal view of the knowledge spread in distributed environment. The whole concept is summed up in the form of an integration algorithm.

### **1. Introduction**

Four departments of Central Road Research Institute (CRRI), New Delhi, are conducting research and consultancy work in different structural and functional aspects of pavement design and evaluation. All these departments are independently created and administered. Furthermore different departmental applications also have different view points on the same or similar concepts. Flexible pavement department (FPD) conducts research for new design methods of flexible pavements. Rigid pavement department (RPD) conducts research for new design methods of rigid pavements. Pavement evaluation department (PED) conducts research for methods related to evaluation of

existing pavements. Generally, expertise related to pavement evaluation and views corresponding to the expertise are available with PED. Recently scientists working in FPD while working on the design of new flexible methods found more accurate relationship for evaluation of existing flexible pavements and made a view corresponding to it in their department. However, the scientists who are primarily responsible for expertise and views related to pavement evaluation were not aware of it. Therefore, it was felt that only by combining the views of all these applications, will one be able to form an overall picture of complete knowledge distributed in this kind of environment. The present process of integration is manual. In the independent views defined by different departments, it is seen that a reality which is defined as an entity in one view has been represented as an attribute of the entity in another view. In such situations whenever the same reality is represented in different views using different constructs, we say that a structural conflict has occurred. In this paper, we are proposing view integration as the design step aimed at:

- solving problem of structural conflicts in pavement related views defined by pavement engineers.
- producing global view/schema of the database of pavement design method.
- helping the pavement engineers or database administrator (DBA) to capture the whole complexity of data.
- and producing the correct global image of the data structure.

As far as *related work* is concerned, various types of approaches in [1; 4] have been proposed for integration of schemas, and they mainly consider structural relationships between entities of different, related and partially overlapping knowledge sources. The conflicts which these approaches broadly consider are of two kinds: naming conflicts and structural conflicts (mainly equivalent, subset, overlapping and disjoint conflicts) on the basis of attribute equivalence. Further, these approaches mainly relate a type (or relationship) of one schema to a type (or relationship) in another schema, and attribute to an attribute to resolve structural conflicts. Our approach influenced by [4] compares these constructs at different levels of perception (type versus relationship, type versus attribute, etc.). The work in [4] does not consider interschema relationships such as "role" relationship and "identical" relationship, and only confines to structural comparison. For example, the million standard axel (MSA) load as shown in Fig. 1 type (a) plays the role to find flexible pavement thickness in schema  $S_1$  whereas it is used to find the adjustment in thickness of rigid pavement in RPD. If there is any change in the view corresponding to MSA load then this must be updated so that the view remains consistent in both the cases. We have considered such relationships in this paper as a part of semantic comparisons, thus, extending the scope of schema integration. In schema integration process, two schemas are compared at a time to determine the degree of correspondences among inter schema types and conflicts between them. The process of schema integration is divided into two parts, namely, structural comparison and semantic

comparison. During structural comparison, the comparison is between (a) a type and a relationship, (b) a relationship and an attribute and (c) a type and an attribute. During semantic comparison relationships are examined deeply to find out whether "identical" relationship or "role" relationship exists between the relationships of two schemas. After this process, all semantic related components are implicitly merged to yield a universal view of the schemas in the different departments. The data model selected is similar to an entity-relationship model.

The schema integration has been designed to achieve the following: (a) automatically integrate elements with or without structural differences, (b) automatically integrate elements with or without semantic differences, and (c) provide an algorithm to perform integration of schemas.

## 2. Data Model and Concepts of Structural and Semantic Comparisons

The basic construct of the data model are: types, relationships and attributes, and derived constructs are: link and chain. To define each of the construct, first we define an object. Since the process of integration is considered above the level of object, ( i.e., at types, relationships, etc. ) so we have shown it in italics.

### *Object*

Any real world entity of interest is modeled as an object. An object can represent a pavement, bridge or a vehicle.

### *Type*

An object is modeled as a type if it is perceived as self\_existing. In general, let  $T_{ij} = \{t_{lij} \mid l = 1, 2, \dots, n\}$  represents the collection of types  $t_{lij}$  belonging to  $T_{ij}$  in schema  $S_j$ . Here first subscript,  $l$ , in  $t_{lij}$  corresponds to first subscript,  $l$ , of  $T_{ij}$  to denote that  $t_{lij}$  belongs to  $l$ st type set  $T_{ij}$ . Second subscript,  $i$ , in  $t_{lij}$  corresponds to the number of types in  $T_{ij}$ . Third subscript,  $j$ , in  $t_{lij}$  and second subscript,  $j$ , in  $T_{ij}$  corresponds to the schema,  $j$ , to which  $t_{lij}$  and  $T_{ij}$  both belong.

### *Attribute*

The object is considered as an attribute if perceived as a property of some type. Users can define a set of attributes to capture the state of a type. An attribute  $a_1$  is the set of values that  $a_1$  can take. If  $a_1$  is a California bearing ratio (CBR) of a soil then it can take integer values such as 2, 3, 4, etc.,

### *Link*

Suppose  $t_{111}$  and  $t_{121}$  be the two types in a schema with an attribute  $a_1$  belonging to  $t_{111}$  and  $t_{121}$ , we say  $a_1$  is a link since it links the two types. It is represented as  $t_{111} * a_1 \leftrightarrow a_1 * t_{121}$ . It helps in establishing relationship between  $t_{111}$  and  $t_{121}$ .

### Relationship

An attribute is modeled as a relationship ( $r_{11i}$ ) if perceived as a link between two types. Let  $R_{1j} = \{r_{1ij} \mid i = 1, 2, \dots, n\}$  represent the collection of all relations  $r_{1ij}$  in schema  $S_j$ . The relationship  $r_{11i}$  belonging to  $R_{11}$  of schema  $S_i$  is a tuple  $(t_{11i}, t_{12i})$  that links type  $t_{11i}$  belonging to  $T_{11}$  of schema  $S_i$  and type  $t_{12i}$  belonging to  $T_{11}$  of schema  $S_i$ . We consider three types of relationships.

#### (a) Identical relationship

Suppose the relationship,  $r_{11i}$  is  $(t_{11i}, t_{12i})$  and relationship  $r_{12i}$  is  $(t_{13i}, t_{14i})$ . Now if  $t_{12i} = t_{14i}$  then interchange  $t_{12i}$  and  $t_{14i}$  so that  $r_{11i}$  becomes  $(t_{11i}, t_{14i})$  and  $r_{12i}$  becomes  $(t_{13i}, t_{12i})$ . If the two relationships remain valid for all instances and type  $t_{11i} \equiv$  type  $t_{13i}$  we say that the two relationships  $r_{11i}$  and  $r_{12i}$  are identical.

#### (b) Role relationship

Suppose the relationship,  $r_{11i}$  is  $(t_{11i}, t_{12i})$  and relationship  $r_{12i}$  is  $(t_{13i}, t_{14i})$ . Now if  $t_{12i}$  is not  $\equiv$   $t_{14i}$  then interchange  $t_{12i}$  and  $t_{14i}$  so that  $r_{11i}$  becomes  $(t_{11i}, t_{14i})$  and  $r_{12i}$  becomes  $(t_{13i}, t_{12i})$ . If the two relationships remain valid for all instances and type  $t_{11i} \equiv$  type  $t_{13i}$  we say that the role relationship exists between two types  $t_{11i}$  and  $t_{13i}$  and two relationships  $r_{11i}$  and  $r_{12i}$  are compatible.

#### (c) Incompatible relationship

Suppose the relationship,  $r_{11i}$  is  $(t_{11i}, t_{12i})$  and relationship  $r_{12i}$  is  $(t_{13i}, t_{14i})$ . Now if  $t_{12i}$  is not  $\equiv$   $t_{14i}$  and type  $t_{11i}$  is not  $\equiv$  type  $t_{13i}$  we say that the two relationships  $r_{11i}$  and  $r_{12i}$  are incompatible.

### Chain

Suppose  $t_{11j}, t_{12j}, \dots, t_{1nj}$  is an orderly sequence of types in a given schema  $j$  such that for all  $i$  in  $(1, 2, 3, \dots, n)$ ,  $t_{1ij}$  is linked to  $t_{1i+1j}$  by an attribute then  $t_{11j} \rightarrow t_{12j} \dots \rightarrow t_{1ij} \rightarrow t_{1i+1j}$  and  $t_{1ij} \rightarrow t_{1i+1j} \rightarrow \dots \rightarrow t_{1nj}$  are the two chains. The types or attributes or relationships can be mixed in one chain.

We define *cardinality* as a count of number of types (or relationships or attributes) in a chain. Let  $t_{11j} \rightarrow t_{12j} \rightarrow t_{1ij} \rightarrow t_{1i+1j}$  and  $t_{1ij} \rightarrow t_{1i+1j} \rightarrow \dots \rightarrow t_{1nj}$  be the two chains. we say the chain  $t_{11j} \rightarrow t_{12j} \rightarrow t_{1ij} \rightarrow t_{1i+1j}$  is a longer chain. If  $\text{cardinality}(t_{11j} \rightarrow t_{12j} \dots \rightarrow t_{1ij} \rightarrow t_{1i+1j}) > \text{cardinality}(t_{1ij} \rightarrow t_{1i+1j} \rightarrow t_{1nj})$ .

It is assumed that in the distributed environment, knowledge of each department is expressed in the form of schema as follows:

$$S_j = (T_{1j}, R_{1j})$$

Let  $D_{1j} = (d_{1ij})$  and  $D'_{1j+1} = (d'_{1ij+1})$  where  $d_{1ij}$  denotes the destination types in  $S_j$  that have direct links with types of  $T_{1j}$

$d'_{1ij+1}$  denotes the set of types in  $S_{j+1}$  which have structural relationship with types in set  $D_{1j}$  of  $S_j$

**Example 1:** Flexible pavement (FP) is an example of type with attributes soil\_subgrade, sub\_base\_course, base\_course and surface\_course.



### 2.2.1 Element correspondence assertions

Let  $x_{11i}$ ,  $x_{11j}$  be two elements (i.e., types, relationships or attributes). Let  $x_{11i}$  belonging to  $S_1$  and  $x_{11j}$  belonging to  $S_j$ . The following assertions will be used to establish correspondence between  $x_{11i}$  and  $x_{11j}$  denoted by  $x_{11i}$  (cor)  $x_{11j}$

#### (a) Element equivalence assertion

Two elements (types or attributes)  $x_{11i}$  and  $x_{11j}$  in different schemas  $S_i$  and  $S_j$  are called equivalent if the same modeling constructs and perceptions are applied, and no incoherence enters into the specifications even if their respective names are different. In general, the element assertion that  $x_{11i}$  and  $x_{11j}$  are equivalent is defined as follows:  $x_{11i} \equiv x_{11j}$  states that  $x_{11i}$  and  $x_{11j}$  have same attributes.

#### (b) Element disjoint assertion

The assertion that  $x_{11i}$  and  $x_{11j}$  are disjoint is expressed as follows  $x_{11i}$  is not  $\equiv x_{11j}$  means  $x_{11i}$  and  $x_{11j}$  have no attribute in common. In other words  $x_{11i} \cap x_{11j} = \phi$ . To consider structural comparison we discuss the following:

### Step 1: Equivalence of two elements

#### (a) Equivalence of two types

Let  $t_{111}$  be a type in  $S_1$  and  $t_{112}$  be a type in  $S_2$  with the following CA:

$$a_{11} = a_{21} \text{ and } a_{12} = a_{22}, \dots, a_{1n} = a_{2n}$$

Then it  $\Rightarrow t_{111} \equiv t_{112}$ . The integrated type  $t_{111}$  in integrated schema (IS) corresponding to  $t_{111}$  and  $t_{112}$  will have an attribute  $a_i$  for each attribute correspondence  $a_{1i} = a_{2i} \forall i$ . The CA in such cases will be represented as:  $t_{111} \equiv t_{112}$  with corresponding attributes:  $a_{11} = a_{21}, a_{12} = a_{22}, \dots, a_{1n} = a_{2n}$ . Let  $t_{111}$  be a type in  $S_1$  and  $t_{112}$  be another type in  $S_2$  with CA:  $a_{11} = a_{21}, a_{12} = a_{22}, \dots, a_{1n-1} = a_{2n-1}$ . The attributes of  $t_{111}$  are  $a_{11}, a_{12}, \dots, a_{1n}$  and attributes of  $t_{112}$  are  $a_{21}, a_{22}, \dots, a_{2n-1}$ .

The integrated type  $t_{111}$  in IS corresponding to  $t_{111}$  and  $t_{112}$  will have: (i) an attribute  $a_i$  corresponding to each attribute correspondence  $a_{1i} = a_{2i} \forall i$  in  $(i = 1, 2, \dots, n-1)$  and (ii) an attribute  $a_j$  (in the present case it is  $a_n$ ) for each attribute of  $t_{111}$  that has no corresponding attribute in  $t_{112}$ .

#### (b) Equivalence of two relationships

Let  $r_{111}$  be a relationship in  $S_1$ ,  $r_{112}$  be a relationship in  $S_2$  with corresponding attributes:  $a_{11} = a_{21}, a_{12} = a_{22}, \dots, a_{1n} = a_{2n}$ . Then the integrated relationship  $r_{111}$  in IS corresponding to  $r_{111}$  and  $r_{112}$  will have an attribute corresponding to each  $a_{1i} = a_{2i}$  for all  $i$  in  $(i = 1, 2, \dots, n)$ . The correspondence relationship for two equivalent relationships is represented as  $r_{111} = r_{112}$  with corresponding attributes  $a_{11} = a_{21}, a_{12} = a_{22}, \dots, a_{1n} = a_{2n}$ . Refer Fig. 1b.

#### (c) Equivalence of a relationship and a type

Let  $t_{111}$  be a type in  $S_1$  and  $r_{111}$  be a relationship in  $S_2$  with corresponding attributes  $a_{11} = a_{21}, a_{12} = a_{22}, \dots, a_{1n} = a_{2n}$ . Then the integration of  $t_{111}$  and  $r_{111}$  generates a type  $t_{111}$  with an attribute  $a_i$  for each attribute corresponding to  $a_{1i} = a_{2i}$ . The CA for an

equivalent type  $t_{11i}$  and a relationship  $r_{11i}$  will be represented as  $r_{11i} \equiv t_{11i}$  with attributes  $a_{11} = a_{21}, a_{12} = a_{22}, \dots, a_{1n} = a_{2n}$ . Refer Fig. 1c.

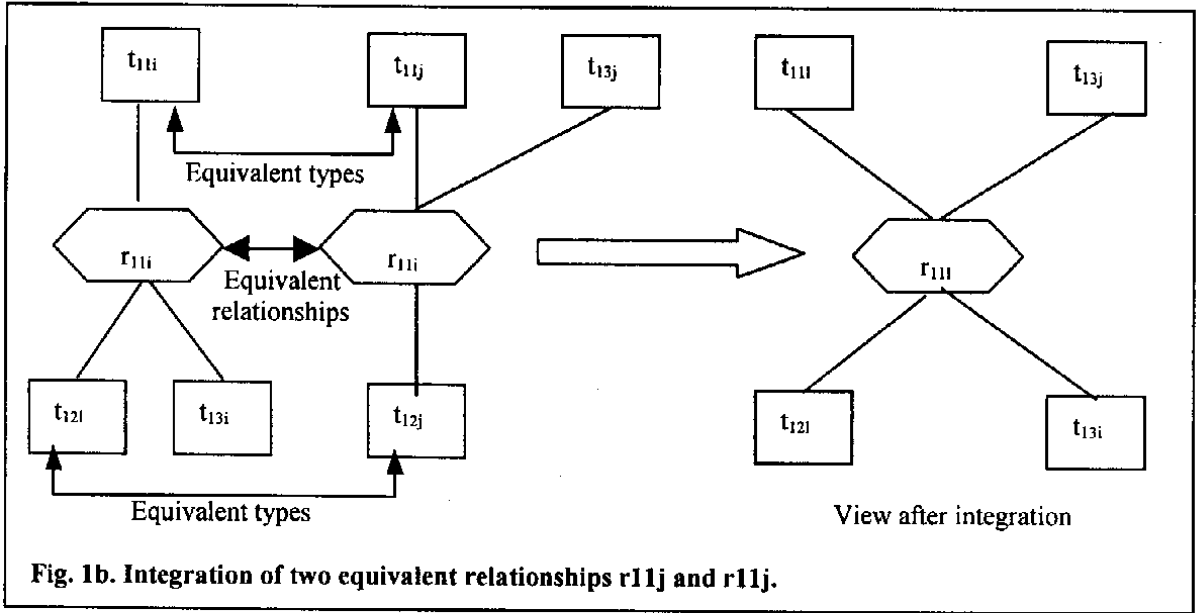


Fig. 1b. Integration of two equivalent relationships  $r_{11j}$  and  $r_{11i}$ .

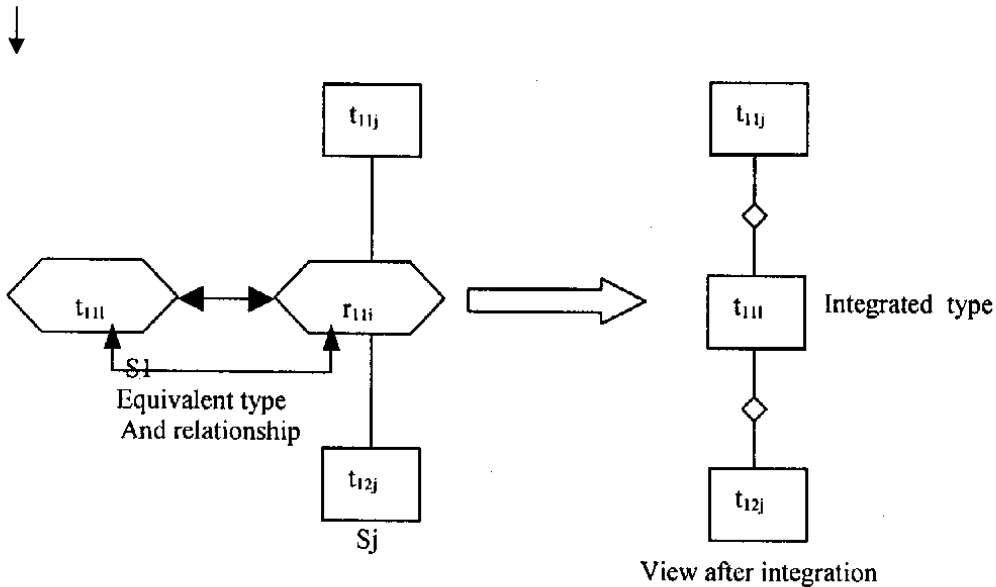


Fig. 1c. Integration of a type and a relationship.

**Step 2: Addition of noncorresponding elements**

Any element (type or relationship) that exists in one schema and has no corresponding element in any other schema is added to the integrated schema with all its attributes without modification.

**Step 3: Integration of two chains terminated with equivalent relationship**

Suppose  $r_{111}$  in  $S_1$  and  $r_{112}$  in  $S_2$  are two equivalent relationships such that  $r_{111}$  links  $x_{111}, x_{121}, \dots, x_{1n1}$ ,  $r_{112}$  links  $y_{112}, y_{122}, y_{1n2}$  and  $x_{111} = y_{112}, x_{121} = y_{122}$ . In such cases, we add the assertion  $x_{111} \rightarrow r_{111} = y_{112} \rightarrow r_{112}, x_{121} \rightarrow r_{111} = y_{122} \rightarrow r_{112}, \dots$  to the set of CA.

**Step 4: Chains integration**

We categorize a chain either a short chain or a long chain. If there are only two elements in a chain we call it a short chain. If there are more than two elements in a chain we call it a long chain. Here we discuss three cases.

**(a) Integration of two short chains**

Let  $x_{111}$  and  $y_{121}$  be two elements forming a chain in  $S_1$ ,  $x_{112}$  and  $y_{122}$  be two elements forming a chain in  $S_2$ . The following CAs are given:

$$x_{111} = x_{112}, y_{121} = y_{122} \dots (1)$$

$$x_{111} \rightarrow y_{121} = x_{112} \rightarrow y_{122} \dots (2)$$

CA (1)  $\Rightarrow$   $x_{111}$  and  $x_{112}$ , and  $y_{121}$  and  $y_{122}$  can be integrated.

Let  $x_{111}$  be the integrated element in IS corresponding to  $x_{111}$  and  $x_{112}$ . Let  $y_{111}$  be the integrated element in IS corresponding to  $y_{121}$  and  $y_{122}$ . Integration of chains  $x_{111} \rightarrow y_{121}$  and  $x_{112} \rightarrow y_{122}$  will give us a chain  $x_{111} \rightarrow y_{111}$  in IS. It will be an attribute chain if  $x_{111}$  is a type and  $y_{111}$  is an attribute.

We examine the above case later in more details during semantic comparison. The cases considered are:

(i)  $x_{111} \text{ not } \equiv x_{112}$  but  $y_{121} = y_{122}$

(ii)  $x_{111} = x_{112}$  but  $y_{121} \text{ not } \equiv y_{122}$

**(b) Integration of a short chain and a long chain**

Suppose the short chain adopts the direct way to go from some specific source information to a target information in one step in  $S_1$ . On the other hand, let long chain adopts the indirect way to go from same source information to the same destination information in  $S_2$ . That is, we have  $x_{111} \rightarrow x_{1n1} = y_{112} \rightarrow y_{122} \rightarrow \dots y_{1p2} \dots (3)$  and

$$x_{111} = y_{112} \text{ and } x_{1n1} = y_{1p2} \dots (4)$$

In this case, the long chain will be selected for integration into the IS. The integration proceeds as follows:

CA (4)  $\Rightarrow$   $x_{111}$  and  $y_{112}$ , and  $x_{1n1}$  and  $y_{1p2}$  can be integrated.

Let  $z_{111}$  be the integrated element in IS corresponding to  $x_{111}$  and  $y_{112}$ . Let  $z_{1n1}$  be the integrated element in IS corresponding to  $x_{1n1}$  and  $y_{1p2}$ . In CA (3), a short chain and a long chain are involved. As indicated above, we select the long chain, namely,  $z_{111} \rightarrow y'_{122} \rightarrow y'_{132} \rightarrow \dots z_{1n1}$  where  $z_{111}$  and  $z_{1n1}$  are the integrated elements obtained from CA (4).  $y'_{122}, y'_{132}, \dots, y'_{1p-1,2}$  are elements corresponding to  $y_{122}, y_{132}, \dots, y_{1p-1,2}$  respectively.

**(c) Integration of two long chains.**

Let the corresponding assertion between two chains be

$$x_{111} \rightarrow x_{121} \rightarrow \dots \rightarrow x_{1n1} = y_{112} \rightarrow y_{122} \rightarrow \dots y_{1p2} \dots (5)$$

with  $x_{111} = y_{112}$  ... (6) and  
 $x_{1n1} = y_{1p2}$  ... (7).

CA (6)  $\Rightarrow$   $x_{111}$  and  $y_{112}$  can be integrated.

CA (7)  $\Rightarrow$   $x_{1n1}$  and  $y_{1p2}$  can be integrated.

Let  $z_{111}$  be the integrated element corresponding to integration of  $x_{111}$  and  $y_{112}$ . Let  $z_{1p1}$  be the integrated element corresponding to integration of  $x_{1n1}$  and  $y_{1p2}$ . There will be two long chains in the IS for CA (5). The chains will be:

$z_{111} \rightarrow x'_{121}, \dots, x'_{1n-11} \rightarrow z_{1p1}$

$z_{111} \rightarrow y'_{112}, \dots, y'_{1p-12} \rightarrow z_{1p1}$

$z_{111}$  and  $z_{1p1}$  are the integrated elements obtained from CA (6) and (7) respectively in both the chains.  $x'_{121}, \dots, x'_{1n-11}$  are elements of IS corresponding to  $x_{121} \rightarrow \dots \rightarrow x_{1n-11}$  and  $y'_{112}, \dots, y'_{1p-12}$  are elements of IS corresponding to  $y_{112}, \dots, y_{1p-12}$

Suppose neither chain is short chain and both the long chains record alternative ways to go from the same (or corresponding) source information to the same (or corresponding) destination information. If two long chains do not have common elements then both chains have to be integrated into the IS.

### Step 5: Integration of chains terminating with attributes

Let  $x_{111}, x_{121}, \dots, x_{1n1}$  be the elements and 'a' be an attribute in  $S_1$ . Let  $y_{112}, y_{1n2}, \dots, y_{1p2}$  be the elements and 'b' be an attribute in  $S_2$  with following CA:  $x_{111} = y_{112}$  ... (8) and  $a = b$  ... (9)

Let  $z_{111}$  be the integrated element in IS corresponding to  $x_{111}$  and  $y_{112}$ . Let there be another corresponding assertion,

$x_{111} * a = y_{112} \rightarrow y_{122}, \dots, y_{1n2} * b$  ... (10)

(\* indicates that element after it is an attribute in the chain) (8), (9) and (10) together generate in IS an attribute 'b' which is an attribute of  $y'_{1n2}$  where  $y'_{1n2}$  is an element corresponding to  $y_{1n2}$ . If the correspondence assertion is of the form:

$x_{111} \rightarrow x_{121}, \dots, x_{1n1} * a = y_{112} \rightarrow y_{122}, \dots, y_{1p2} * b$  ... (11)

(8), (9) and (11) together generate in IS two attributes: 'a' and 'b'. 'a' is an attribute of  $x'_{1n1}$  where  $x'_{1n1}$  is an element corresponding to  $x_{1n1}$  in IS. 'b' is an attribute of  $y'_{1p2}$  where  $y'_{1p2}$  is an element corresponding to  $y_{1p2}$  in IS.

### 2.3 Semantic comparator

It finds out additional semantics between types which are hidden in structured specifications of different sources and can't be ascertained by the structure based comparison. For identification of such associations types of one schema which associates type in different knowledge sources are checked.

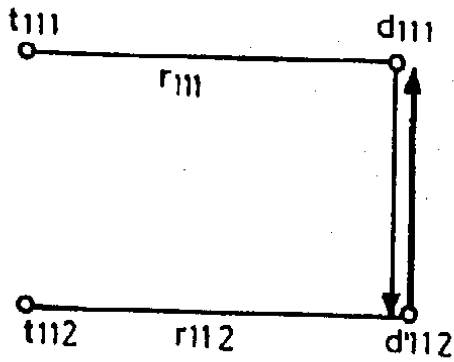
We detect following three types of relationships during semantic comparison.

- **Identical** means two relationships have exactly the same semantics in the real world although they may have different names.

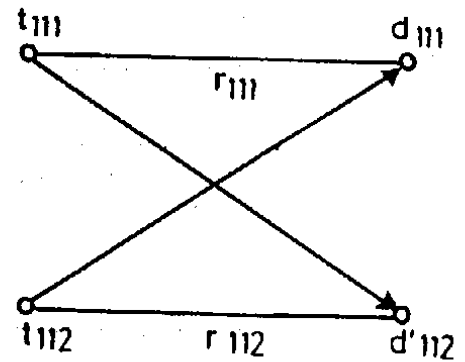
- **Role relationship** means same type plays two different roles in two different schemas.
- **Incompatible** means two relationships have no common properties.

### 2.3.1 Semantic comparison

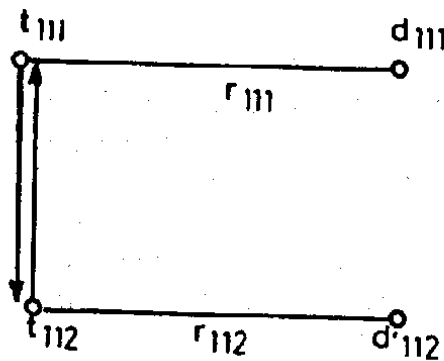
We perform semantic comparisons in three steps. The diagrammatic view of semantic comparison is shown in Fig. 2.



(a)



(b)



(c)

Fig. 2. Semantic comparison.

**Step 1:**

This step is divided into following sub steps.

(a) For all types  $t_{111}$  in  $T_{11}$  in  $S_1$ , find set of destination types  $d_{111}$  which have direct associations with this particular type  $t_{111}$ . Put all types  $d_{111}$  in set  $D_{11}$  so that  $D_{11} = \{d_{111} \mid i=1, 2, \dots, n\}$ . Pick up one of the types from  $D_{11}$  say  $d_{111}$  which has a relation  $r_{111}$  with type  $t_{111}$  of  $T_{11}$  in schema  $S_1$ . Thus  $r_{111}$  is  $r_{111}(t_{111}, d_{111})$ .

(b) Next, in  $S_2$  from set  $T_{k2}$ , find types  $t_{k12}$  ( $i = 1, 2, \dots, n$ ) which have structural relationship with types of  $D_{11}$  and rename these types as  $d'_{112}$ . Let  $D'_{12} = \{d'_{112}\}$  for  $i = 1, 2, \dots, n$ . From  $D'_{12}$ , pick up one type, say,  $d'_{112}$  which has a specific structural relationship with  $d_{111}$ . Finally in  $S_2$  from say,  $T_{12}$ , pick up a type, say,  $t_{112}$  which has a relationship  $r_{112}$  with  $d'_{112}$  so that  $r_{112}$  is  $r_{112}(t_{112}, d'_{112})$ .

(c) To establish semantic similarities, compare all four types  $t_{111}$ ,  $d_{111}$ ,  $t_{112}$ ,  $d'_{112}$  and the two relationships  $r_{111}$ ,  $r_{112}$  in two steps.

(d) Replace  $d_{111}$  with  $d'_{112}$  in  $r_{111}(t_{111}, d_{111})$  so that it becomes  $r_{111}(t_{111}, d'_{112})$ .

(e) Replace  $d'_{112}$  with  $d_{111}$  in  $r_{112}(t_{112}, d'_{112})$  so that it becomes  $r_{112}(t_{112}, d_{111})$ .

**Step 2:**

If ( $d_{111} \equiv d'_{112}$ ) (refer Fig. 2a) then

if ( $r_{111}(t_{111}, d'_{112}) \wedge r_{112}(t_{112}, d_{111})$  remain valid for all instances) (refer Fig. 2b) then

if ( $t_{111} \equiv t_{112}$ ) (refer Fig. 2c) then

- relationships  $r_{111}$  and  $r_{112}$  are identical

endif

if ( $t_{111}$  not  $\equiv t_{112}$ ) then

there exists a role relationship between  $d_{111}$  and  $d'_{112}$ .

- relationship  $r_{111}$  and  $r_{112}$  are compatible.

endif

endif

endif

**Step 3:**

If ( $d_{111}$  not  $\equiv d'_{112}$ ) (refer Fig. 2a) then

if ( $r_{111}(t_{111}, d'_{112}) \wedge r_{112}(t_{112}, d_{111})$  remain valid for all instances) (refer Fig. 2b) then

if ( $t_{111} \equiv t_{112}$ ) (refer Fig. 2c) then

- there exists a role relationship between  $t_{111}$  and  $t_{112}$ .

- relationship  $r_{111}$  and  $r_{112}$  are compatible.

endif

if ( $t_{111}$  not  $\equiv t_{112}$ ) then

- relationship  $r_{111}$  and  $r_{112}$  are incompatible,

no assumption can be made about any type

endif

endif

endif

endfor

## 2.4 Integration algorithm

**Input :** Two schemas  $S_1$  and  $S_2$  and the CA in between  $S_1$  and  $S_2$ .

**Output:** An IS.

**Steps:** Five steps have been defined for integrating  $S_1$  and  $S_2$ .

**Step 1:**

For all elements correspondence assertion between  $x_{111}$  and  $x_{112}$

if (  $x_{111} \wedge x_{112}$  both are types) then

- execute Step (1a) of section 2.2.1

endif

if (  $x_{111} \wedge x_{112}$  both are relationships) then

- execute Step (1b) of section 2.2.1

endif

- Mark  $x_{111}$  in  $S_1$  and  $x_{112}$  in  $S_2$  as processed

endfor

**Step 2:**

For all elements (in  $S_1$  and  $S_2$ ) that has not been processed at step (1) in  $S_1$  and  $S_2$

- execute Step (2) of section 2.2.1 . That is, step for adding non corresponding elements.
- Mark the added element and its attributes as processed.

endfor

**Step 3:**

For all pairs of relationship  $r_{111}$  in  $S_1$  and  $r_{112}$  in  $S_2$

if ( (  $r_{111}$  links  $x_{111}, x_{121}, \dots, x_{1n1}$  )  $\wedge$

(  $r_{112}$  links  $y_{112}, y_{122}, \dots, y_{1n2}$  )  $\wedge$

(  $r_{112} = r_{112}, x_{111} = y_{112}, x_{121} = y_{122}, \dots, x_{1n1} = y_{1n2}$  ) ) then

- Add to the set of chain CAs the assertion:

$x_{111} \rightarrow r_{111} = y_{112} \rightarrow r_{112}, x_{121} \rightarrow r_{111} = y_{122} \rightarrow r_{112}, \dots$

(i.e., Step (3) of section 2.2.1)

endif

endfor

**Step 4:**

For all chain CA  $x_{111} \rightarrow x_{112} \rightarrow x_{1n1} = y_{112} \rightarrow y_{122} \rightarrow y_{1n2}$

if ( two short chains are involved) then

- execute Step (4) of section 2.2.1

endif

if ( a long chain and a short chains are involved) then

- execute Step (4) of section 2.2.1

endif

if ( two long chains are involved) then

- execute Step (4) of section 2.2.1

endif

- Mark the corresponding chains as processed in  $S_1$  and  $S_2$ .

**endfor**

**Step 5:**

**For all attribute CA:  $a_1 = a_2$**

if ( a chain CA is terminated with attributes  $a_1$  and  $a_2$ ) then

- execute Step (5) of section 2.2.1

else

- add both attributes  $a_1$  and  $a_2$  in IS

endif

**endfor**

**Step 6:**

Refinement of IS

**Input:** An IS

**Output:** An equivalent IS'

**Steps:** For all (type  $t_{111}$  linked to destination type  $d_{111}$  and type  $t_{112}$  linked to destination type  $d'_{112}$ )

- perform semantic comparison as given in section 2.3.1

**endfor**

### 3. The Application of Structural Comparison

The examples that have been chosen to show the feasibility of aforesaid algorithm are from the pavement design and evaluation environment.

An overview of design, evaluation and overlay thickness estimation of pavements is presented in appendix-1.

**Example 3:** Let us consider the case of evaluating the structural adequacy of a rigid pavement. Two independent views for it have been created in schema  $S_1$  and  $S_2$  (refer Fig. 3a). The task here is to combine the two views to form an integrated view.

The set of CA between  $S_1$  and  $S_2$ , given as an input, consists of following attributes:

Rigid\_pavement = Rigid\_pavement with corresponding attributes:

section\_name = section\_name and

existing\_slab\_thickness = existing\_slab\_thickness ... (12)

Traffic\_effect = Evaluation with corresponding attributes

structural\_adequacy = structural\_adequacy ... (13)

Overlay\_design = overlay with corresponding attributes

Pavement\_condition# = Pavement\_condition# ... (14)

Traffic\_effect\*Adjusted\_slab\_thickness = This\_traffic\_volume \*

Adjusted\_thickness ... (15)

Traffic\_effect\*Adjusted\_slab\_thickness = Evaluation →

This\_traffic\_volume \* Adjusted\_thickness ... (16)

Rigid\_pavement → Traffic\_effect = Rigid\_pavement →

Is\_subject\_to → This\_traffic\_volume → Evaluation ... (17)

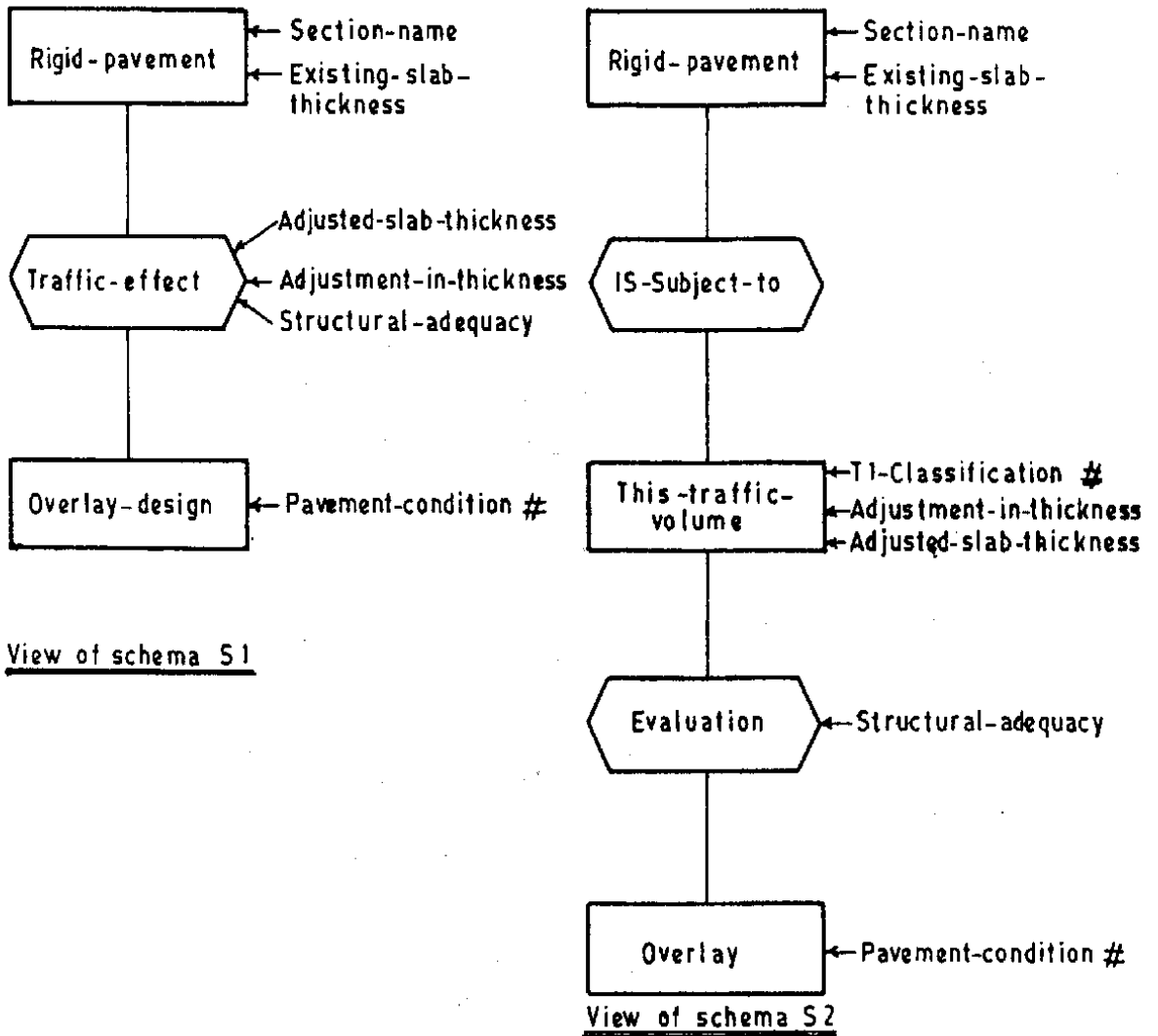


Fig. 3a. View to compute overlay design of rigid pavement in schema S1 and S2.

The CA (15) and (16) will be taken up at the end since attributes are involved in them. Based on CA (11) to (17), we perform structural comparison on the basis of first five steps outlined in the Integration Algorithm.

**Step 1:**

(a) As type *Rigid\_pavement* of  $S_1$  and type *Rigid\_pavement* of  $S_2$  are equivalent (CA 12), so as per step (1a), we insert a type *Rigid\_pavement* in IS with attributes: *section\_name* and *existing\_slab\_thickness*. Mark correspondence assertion (12), type *Rigid\_pavement* with attributes, *section\_name* and *existing\_slab\_thickness* in  $S_1$  and  $S_2$  as marked.

(b) As relationship *Traffic\_effect* of  $S_1$  = relationship, *Evaluation* of  $S_2$  (CA 13) with attribute, *structural\_adequacy* so as per step (1b), we add a relationship, say, *Evaluation* with attribute *structural\_adequacy* in IS. Mark CA (13), relationship, *Traffic\_effect* in  $S_1$  and relationship *Evaluation* in  $S_2$  as processed.

(c) The type, *Overlay\_design* = type, *Overlay*, with attribute, *Pavement\_condition#* (CA 14) so we add a type, say, *Overlay\_design*, with attribute, *Pavement\_condition#* in IS. Mark correspondence assertion (15), type, *Overlay\_design* in  $S_1$  and type, *Overlay* in  $S_2$  as processed.

**Step 2:**

We select elements that exist in  $S_1$  and have no corresponding element in other schema  $S_2$ . We find none. Next, We select elements that exist in  $S_1$  and have no corresponding element in other schema  $S_2$ . We find there exist, a relationship, *Is\_subject\_to*, in  $S_2$  without any attribute. We add it in IS. Further, we find a type, *This\_traffic\_volume*, with attributes, *TI\_Classification#* and *Adjusted\_thickness*. The attribute *Adjusted\_thickness* is under consideration in correspondence assertion (15) and (16), so, we add the type, *This\_traffic\_volume*, with only one attribute, *TI\_classification#* in IS.

**Step 3:**

In  $S_1$ , *Overlay\_design* is linked to *Traffic\_effect*, i.e., we have *Overlay\_design* → *Traffic\_effect*. In  $S_2$ , *Overlay* is linked to *Evaluation*, i.e., we have *Overlay* → *Evaluation* (refer Fig. 3a). The CA

(13) ⇒ relationships, *Traffic\_effect* and *Evaluation* are equivalent. The CA (14) ⇒ types, *Overlay\_design* and *Overlay* are equivalent. Hence as per step 3, we get the following new CA.

*Overlay\_design* → *Traffic\_effect* = *Overlay* → *Evaluation* ... (18)

As CAs (15) and (16) involve attributes, therefore, they are put aside and will be taken up at the end. The CA (17) has two chains:

(i) *Rigid\_pavement* → *Traffic\_effect* and

(ii) *Rigid\_pavement* → *Is\_subject\_to* → *This\_traffic\_volume* → *Evaluation*.

As latter chain is a longer chain, therefore, we select it for integration into IS. The CA (18) has two short chains. We can select either. Suppose we decide to select chain, *Overlay\_design* → *Traffic\_effect*. The type, *Overlay\_design* is all right as it correspondence to the type that has already been selected in the IS. Out of relationships,

Traffic\_effect and Evaluation, we select the relationship, Evaluation, as Evaluation is already selected for integration in IS.

**Step 4:**

We take up the CAs (15) and (16) which were put aside. The CA (15) is  $Traffic\_effect * Adjusted\_slab\_thickness = This\_traffic\_volume * Adjusted\_thickness$

The CA (16) is

$Traffic\_effect * Adjusted\_slab\_thickness = Evaluation \rightarrow This\_traffic\_volume * Adjusted\_thickness$

From CA (13), we have  $Traffic\_effect = Evaluation$ . The CA (13) and (16) and step (5) with CA (14)  $\Rightarrow$  an attribute, adjusted\_thickness, be generated in IS. This attribute is the attribute of type, This\_traffic\_volume. The integrated view is shown in Fig. 3b.

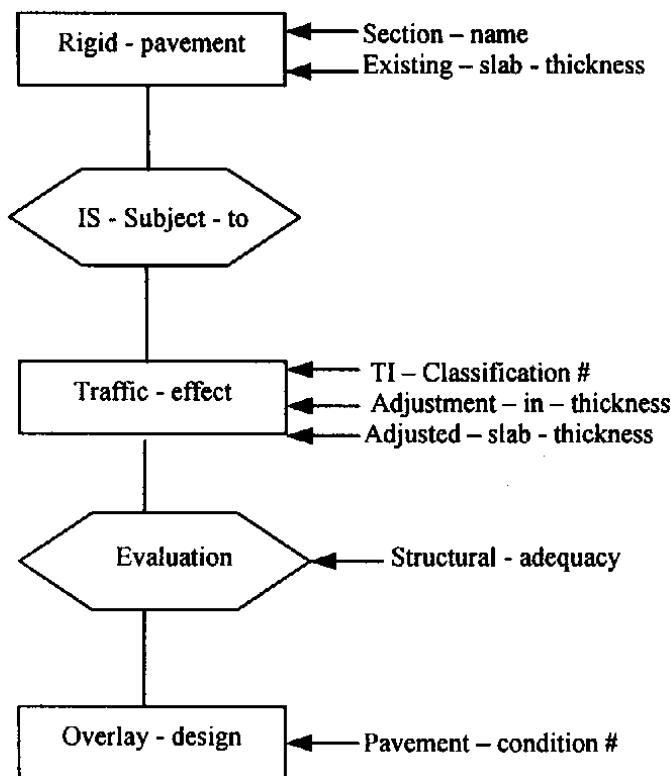


Fig. 3b. View to compute overlay design after integrating view of  $S_1$  and  $S_2$ .

**Output**

The integrated view shown in Fig. 3b is a complete view for all the departments of CRRI. If they use it further updation and changes will give them a consistent view on *overlay design method of rigid pavement*.

#### 4. Application of Semantic Comparison

Indian Road Congress (IRC) has published the guidelines for the design of FP based on the concept of cumulative MSA Loads known as CBR method. The types for FP design and overlay thickness estimation are shown in Fig. 4 as schema  $S_2$ . In this section application of semantic comparison is shown, to find out different relationships between the types of schema  $S_1$  and  $S_2$ . We first consider structure based comparisons and then semantic based comparison.

Type traffic_intensity		Type deflection	
(com_veh:	float;	(no_of_def_val	float;
Design_life:	float;	def_val():	float;
g_rate:	float;	avg_def:	float;
t_elapsed:	float;	std_dev:	float);
l_type:	float;		
r_type:	float;		
msa:	float;		
cbr_val:	float;)		
Type (a): $t_{112}$		Type (b): $t_{122}$	
Type ch_deflection		Type corrections	
(avg_def:	float;	( temp:	float;
std_def:	float;	moist_cont:	float;
temp_corr:	float;	rainfall:	float;
moist_corr:	float;)	plascity:	float;
		temp_corr:	float;
		moist_corr:	float);
Type(c): $t_{132}$		Type (d): $t_{142}$	
Type allowable_deflection			
(msa:	float;		
Allowed_def:	float;)		
Type (e) : $t_{15}$			

Fig. 4. Partial overview of  $S_2$ .

**Example 4:** In Fig. 4, we represent the relationship, compute\_allowable\_deflection (traffic\_intensity, allowable\_deflection) as  $r_{112}(t_{112}, t_{152})$ .

CA between  $S_1$  (refer Fig. 1a) and  $S_2$  (refer Fig. 4) consists of traffic\_intensity \* msa  $\leftrightarrow$  msa \* allowable\_deflection ... (19).

In Fig. 1a,  $T_{11} = \{t_{111}, t_{121}\}$ . In Fig. 4,  $T_{12} = \{t_{112}, t_{122}, t_{132}, t_{142}, t_{152}\}$ .

The semantic comparison as per step 6 proceeds in three steps.

##### Step 1:

This step consists of following sub steps:

(a) For all types  $t_{111}$  in  $T_{11}$ , we find all the types which have direct relations with  $t_{111}$ . As there is only one type  $t_{121}$  in  $T_{11}$ , the attribute of  $t_{111}$  and  $t_{121}$  are compared. It is found 'msa' is a common attribute between  $t_{111}$  and  $t_{121}$ . The types  $t_{111}$  and  $t_{121}$  can be linked

together through attribute 'msa' (as given in CA (19) ). Hence  $t_{121}$  is the type which has a direct link with  $t_{111}$ . Hence  $D_{11} = \{d_{111} = t_{121}\}$ .

In  $S_1$ , we pick up a type that has a relation with  $d_{111}$ . The type is  $t_{111}$  since  $t_{111}$  (= traffic\_volume) and  $d_{111}$  (= fp\_thickness) have a common attribute 'msa'. As per CA (19), the two types can be linked together to form a relation  $r_{111}$  (= compute\_fp\_thickness). Hence the relation got is compute\_fp\_thickness (traffic\_volume, fp\_thickness). It is represented as  $r_{111}(t_{111}, d_{111})$ .

(b) In  $S_2$ ,  $T_{12} = \{t_{112}, t_{122}, t_{132}, t_{142}, t_{152}\}$ . We try to find all types,  $t_{1j2}$ ,  $j = 1, 2, 3, 4, 5$  which have relationship with types of  $D_{11}$ , i.e., with  $d_{111}$ .

- $d_{111}$  and  $t_{112}$  have two attributes: 'cbr\_val' and 'msa' in common.
- $d_{111}$  and  $t_{122}$  are disjoint types
- $d_{111}$  and  $t_{132}$  are disjoint types
- $d_{111}$  and  $t_{142}$  are disjoint types

$d_{111}$  and  $t_{152}$  have a common attribute msa. So both can be linked together (CA (1)) . Thus  $D'_{12} = \{t_{112}, t_{152}\}$ . If we select  $t_{112}$ , it is compared with type  $t_{111}$  which we have associated with  $d_{111}$  in  $r_{111}$ . We find  $t_{111}$  and  $t_{112}$  are equivalent, hence there is no point in associating it again with  $d_{111}$ . Therefore, we select the other type  $t_{152}$  and retain it in  $D'_{12}$ . So  $D'_{12} = \{t_{152} = d'_{112}\}$

Finally we select a type  $t_{1j2}$ ,  $j = 1, 2, 3, 4, 5$  from  $T_{12}$  in  $S_2$  which has a structural relationship with  $d'_{112}$ . As before,  $d'_{112}$  (=  $t_{152}$ ) is compared with all type of  $T_{12}$  on the basis of attribute comparisons.

It is established  $d'_{112}$  (=  $t_{152}$ ) is only related with type  $t_{112}$ . The relationship between  $t_{112}$  and  $d'_{112}$  is named as compute\_allowable\_deflection. The relationship is compute\_allowable\_deflection (traffic\_intensity, allowable\_deflection). It is represented as  $r_{112}(t_{112}, d'_{112})$

(c) We have found four types :  $t_{111}, d_{111}, t_{112}, d'_{112}$  and two relationships :  $r_{111}(t_{111}, d_{111})$  and  $r_{112}(t_{112}, d'_{112})$ .

(d) Replace  $d_{111}$  in  $r_{111}$  with  $d'_{112}$  so  $r_{111}(t_{111}, d_{111})$  becomes  $r_{111}(t_{111}, d'_{112})$ . The relationship is compute\_fp\_thickness(traffic\_volume, allowable\_deflection).

(e) Similarly replace  $d'_{112}$  in  $r_{112}$  with  $d_{111}$  so that  $r_{112}(t_{112}, d'_{112})$  becomes  $r_{112}(t_{112}, d_{111})$ . The relationship is compute\_allowable\_deflection(traffic\_intensity, fp\_thickness).

### Step 2:

We compare types  $d_{111}$  and  $d'_{112}$  and find  $d_{111}$  is not  $\equiv d'_{112}$ . The comparison is done on the basis of attribute equivalence. Thus this step is skipped.

### Step 3:

As  $d_{111}$  is not  $\equiv d'_{112}$ :

$r_{111}(t_{111}, d'_{112})$  and  $r_{112}(t_{112}, d_{111})$  remain valid for all the instances.

As  $t_{111} \equiv t_{112}$ ,

- there exists a role relationship between types  $t_{111}$  and  $t_{112}$ .
- type  $t_{111}$  (= traffic\_volume) plays the role of finding  $d_{111}$  (= fp\_thickness) in  $S_1$   
type  $t_{112}$  (=
- traffic\_intensity) plays the role of finding  $d'_{112}$  (= allowable deflection) in  $S_2$ .  
Although types  $t_{111}$  and  $t_{112}$  are equivalent but different emphasis is placed on its usage in  $S_1$  and  $S_2$ .
- $r_{111}$  and  $r_{112}$  are compatible relations.

As ( $t_{111} \equiv t_{112}$ ) so this condition is evaluated as false so we skip this step. With this, the process of semantic analysis comes to an end as there is no more type in  $T_{11}$ .

### Output

- Semantic comparison has shown that there is a role relationship between type  $t_{111}$  (traffic\_volume in Fig. 1a) and type  $t_{112}$  (traffic\_intensity in Fig. 4). However, they play different roles in two schema  $S_1$  and  $S_2$
- Two relationships  $r_{111}$  (compute\_fp\_thickness) and  $r_{112}$  (compute\_allowable\_deflection) are compatible since one of the two types used in each of the two relations is common.

## 5. Summary

The strength of the proposed algorithm is its integration of both structural and semantic comparison into a single schema integration model. It can be used by the pavement engineers or DBA during view integration phase. Its usage has helped in accumulating knowledge and describing integrated views about different aspects of pavement design, evaluation and overlay. This wealth of pavement knowledge is being utilized by the different divisions of CRRI in design and code of softwares which they are developing using different methods of pavement design and evaluation on whenever required basis.

The schema integration process proposed here is summed up in the form of an algorithm. It semiautomates the process of generating a database schema. Though it is not fully automatic yet it can act as a helpful assistant to a DBA. There is a reason to suppose that the fully automated algorithm is not possible. The algorithm can be applied to database design in two phases. The initial phase involves constructing a new database manually. As the database increases in complexity, the algorithm begins to assist the DBA by identifying relationships between new data elements and existing ones.

## References

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- [6] IRC:37 - Guidelines. *Guidelines for the Design of Flexible Pavement*. Indian Road Congress, 1984.
- [7] SP:17 - Guidelines. *Recommendations About Overlays on Cement Concrete Pavements*. Indian Road Congress, 1977.
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## APPENDIX -1

## List of notations and terms used

## (a) Notations used

1.	Schema j	$S_j$
2.	$T_{1j}$	1st set of types in schema j
3.	$t_{1ij}$	ith element (i.e., type) $\in T_{1j}$
4.	$R_{1j}$	1st set of relations in schema j
5.	$r_{1ij}$	ith element (i.e., relation) $\in R_{1j}$
6.	$D_{1j}$	1st set of destination types in $S_j$ that have direct links with types of set $T_{1j}$ .
7.	$D'_{1j+1}$	1st set of types in $S_{j+1}$ that have structural relationship with types of set $D_{1j}$ of $S_j$
8.	$D_a$	Allowable Deflection
9.	$D_c$	Characteristic Deflection
10.	$h_o$	Overlay thickness
11.	Chain between two elements	$x_{111} \rightarrow x_{112}$ , where $x_{111}$ and $x_{112}$ are elements (i.e., type or relationship)
12.	Chain between an element and an attribute	$x_{111} * a$ where $x_{111}$ is an element and a is an attribute.
13.	$\equiv$	Equivalent to
14.	$\Rightarrow$	Implies
15.	$\leftrightarrow$	Link between two types

## (b) Terms used

There are two types of pavements : (i) rigid pavements (RPs) and (ii) flexible pavements (FPs).

1) **Rigid pavements** : The Rigid pavements are those which possess note worthy flexural strength and one of its design methods known as Design Wheel Method is based on (i) foundation strength, (ii) flexural strength, (iii) design wheel load, (iv) traffic intensity (TI) and (v) critical stress condition.

Traffic intensity of a pavement for 20 years is predicted as:  $T = p(1+r)^{n+20}$  .....(1e)

Where T = design traffic intensity in terms of commercial vehicles/day,

p = traffic intensity at last count,

r = annual rate of increase of traffic intensity,

n = number of years since last traffic count and commissioning the new pavement.

Depending on the value of T a pavement is classified as A, B, C, D, E, F, G type of pavement, and based on it a due adjustment in thickness of pavement is made as (refer Table 1).

**Table 1. Adjustment in pavement thickness for given values of T**

Pavement Classification (TI-Classification#)	T	Adjustment in thickness of Pavement (in cm) ( $h_i$ )
A	0 to 15	-5
B	15 to 45	-5
...	...	...
G	4500	2

Source: Ref. [8]

**Table 2. Criteria to categorize pavement condition**

Pavement Condition#	Length of crack in meter/10 sq.meter	Category
1	0 to 1.0	sound
2	Exceeding 1.0 upto 2.5	slightly cracked
3	Exceeding 2.5 upto 5.5	fairly cracked
4	Exceeding 5.5 upto 8.5	moderately cracked
5	Exceeding 8.5 upto 12.0	badly cracked
6	Exceeding 12.0	very badly cracked

Source: Ref. [10]

**2) Flexible pavement:** The pavements which possess negligible flexural strength are called flexible pavements.

**3) Overlay design of flexible pavement:** The evaluation of existing pavement can be done using a method known as Benkleman Beam Deflection (BBD) method. BBD values are generally adjusted to account for the effects of pavement temperature, rainfall, and soil moisture condition on the magnitude of the characteristic deflection ( $D_c$ ). The overlay thickness ( $h_o$ ) required is determined after finding the allowable deflection ( $D_a$ ) in the pavement under the design load. The  $D_a$  is found on the basis of MSA load.

**4) California bearing ratio:** It is used to measure the strength of soil.

## طريقة موسعة مبنية على مقارنة المعاني لتكامل واجهات قواعد البيانات الموزعة وتطبيقاتها

راجيش نازنج وك. دي. شرما

قسم علوم الحاسب، جامعة دهلي

دهلي - ١١٠٠٠٧ الهند

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**ملخص البحث.** نظراً للاهتمام المتزايد بقواعد البيانات الموزعة، ازداد اهتمام الباحثين بأساليب تكامل وربط تشكيلات قواعد البيانات. ولعله من الواضح الآن أن تصميم قواعد البيانات الموزعة أمرٌ بالغ التعقيد ومن الصعب التحكم في عملية التصميم بصورة مركزية. ومن ثم يكون من الأفضل أن يسمح للأقسام المختلفة في المؤسسات والهيئات بتصميم تشكيلات وواجهات قواعد البيانات الخاصة بها، ثم تجميع وربط هذه التشكيلات/ الواجهات الفرعية لبناء التشكيل الكلي والواجهة الكلية لقاعدة البيانات. هذه الورقة تقترح استراتيجية تكاملية لقواعد البيانات الموزعة مبنية على فكرة المقارنة التركيبية ومقارنة المعاني.

المقارنة التركيبية تكتشف الأنواع المتماثلة وشبه المتماثلة إلا زنها لا تجري تحليلاً عميقاً للمكونات، ومن ثم يصعب عليها اكتشاف العلاقات الأخرى المبنية على التوصيف الداخلي للأنواع. للتغلب على هذه المشكلة نأخذ في الاعتبار عملية مقارنة المعاني. تساعد مقارنة المعاني على اكتشاف العلاقات الخفية مثل: علاقات الأدوار، علاقات التطابق وعلاقات التوافق بين وحدات التشكيلات المتنوعة. بعد عملية مقارنة المعاني يتم تجميع وربط كل وحدات التشكيلات التي توجد بينها روابط معنوية للحصول على صورة متكاملة للمعرفة المخزنة في قاعدة البيانات الموزعة. الفكرة بكاملها تلخص في النهاية في شكل خوارزمية تكامل.